

# Evaluation of a new iterative linear procedure for ground response analysis using frequency-dependent soil parameters at KiK-net stations

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### **Frequency domain methods for 1-D** total stress analysis

### □ Linear solution

- 1) Using a visco-elastic shear stress  $(\tau)$  shear strain  $(\gamma)$  model:  $\tau = G(1 + 2i\xi)\gamma$
- 2) Along with elastic transfer functions (e.g., Haskell-Thompson matrix) in the frequency domain.





### Frequency domain methods for 1-D total stress analysis

### **Equivalent-Linear** (EL) solution

- 1) Using a visco-elastic shear stress  $(\tau)$  shear strain  $(\gamma)$  model:  $\tau = G(1 + 2i\xi)\gamma$
- 2) Along with elastic transfer functions (e.g., Haskell-Thompson matrix) in the frequency domain.
- 3) Both soil parameters G and  $\xi$  are adjusted depending on the maximum shear strain amplitudes developed.



The procedure is repeated until convergence of the solution (Equivalent-Linear method).



### **Frequency domain methods for 1-D** total stress analysis

#### **G** FDEL methods available in the literature

- Sugito et al. (1994) first proposed a frequencydependent shear strain that derives directly from the FT of strain time-history.
- 2) Kausel and Assimaki (2002) modified this formulation using shape fitting parameters to smooth the frequency-dependent strain spectrum and ease convergence.
- Alternatively, Yoshida et al. (2002) proposed another method for frequency-dependent shear strain that relies on logarithmic shape function.
- More recently, Meite et al. [1] utilize the power strain intensity measure to derive frequency-dependent strain amplitudes.



[1] Meite, R., Wotherspoon, L., McGann, C.R., Green, R.A., Hayden, C., in process. An iterative linear procedure using frequency-dependent soil parameters for site response analyses. Soil Dynamics and Earthquake Engineering.



### A new method for EL analysis with frequencydependent soil parameters (FDEL)

### **Comparison against the existing FDEL methods**



Comparison of geometric mean pseudo-spectral accelerations calculated at surface between the EL method, both existing FDEL methods proposed by Kausel and Assimaki, and Yoshida et al., the proposed FDEL method [1] and the NL model, using control motions with PGA scaled respectively at (a)  $1.50 \text{ m/s}^2$  (~0.15g) and (b)  $6.50 \text{ m/s}^2$  (~0.66g).

<sup>[1]</sup> Meite, R., Wotherspoon, L., McGann, C.R., Green, R.A., Hayden, C., in process. An iterative linear procedure using frequency-dependent soil parameters for site response analyses. Soil Dynamics and Earthquake Engineering.



### Sensitivity of 1-D ground motion predictions to analysis codes and material models using KiK-net vertical arrays

### **Uncertainties in the computational process**



## **1-D soil response models at KiK-net**<sup>[2]</sup> sites



#### □ Investigations conducted at 5 KiK-net stations

Station name	FKSH14	IBRH13	IWTH08	KSRH10	NMRH04
Nature of soil deposits at the upper 30 meters	Sands and Gravels	Weathered rock	Weathered rock	Clays	Sands and Gravels
V <sub>s,30</sub> (m/s)	237	335	305	213	168
Fundamental site period, $T_0$ (s)	1.17	0.50	0.58	1.16	2.99
Site class according to NZS1170.5 standard	D	С	С	D	Е
Depth to water table potentially identified (m)	52	16	10	16	8
Depth to be drock so that Vs $\geq$ 1000 m/s	52	34	50	36	> 186
Depth the borehole seismometer	147	100	100	255	216

Graduate increase in shear-wave velocity profiles at the upper 30 m:



## **1-D soil response models at KiK-net**<sup>[2]</sup> sites



### **30** ground motions considered (60 records), grouped in 3 bins of seismic intensities

The strain index was employed as ground motion criteria to span a range of soil deformations:

 $\gamma_{ind} = \frac{PGV}{V_{s,30}}$  Where PGV referred to as the Peak Ground Velocity recorded at surface and  $V_{s,30}$  denotes the averaged shear-wave velocity at the upper 30 m.





### □ A range of material curves tested (x 5 sets)

Soil models	Soil types	Strain applicability
Darendeli (2001),	Sands, clays and silts	Low to moderate strains, $< 0.5$ %
Roblee and Chiou (2004)	Sands, clays and silts using GeoIndex	Low to large strains, < 4 %
Zhang (2005)	Mineral soils grouped by geological age	Low to moderate strains, $< 0.3$ %
Matasovic and Vucetic, MKZ (1993a)	Sands	Adjustable, generally $\leq 1\%$
Menq (2003)	Sandy and gravelly soils	Low to moderate strains, $\leq 1\%$
Vucetic (1993)	Plastic soils (silts and clays)	Low to moderate strains, $\leq 1\%$
Vardanega and Bolton (2013)	Plastic soils (silts and clays)	Low to moderate strains, $\leq 1\%$





#### **4** ground response methods (codes) tested





#### **4** ground response methods (codes) tested

Including 2 frequency domain methods:





### □ Scattering in model predictions



Bin 3 - Strong ground motions

10

5

Frequency (Hz)



#### **Performance of GRA methods (codes)**





EL ----- FDEL --- OpenSees (NL) - - DEEPSOIL (NL)

15

(c)

Residuals, PSAresid

0.6

0.4

0.2

0.0

-0.2

-0.4

0



#### □ Variabilities in material curves and GRA methods (codes)

The "mean" standard deviation across model predictions for each bin of ground motions:

$$\hat{\sigma}_{tot} = \sqrt{\hat{\sigma}_{mat}^2 + \hat{\sigma}_{code}^2}$$

where  $\hat{\sigma}_{mat}$  and  $\hat{\sigma}_{code}$  denote the standard deviation terms associated with the mean material predictions  $\hat{y}_{mat,i}$ and the mean code predictions  $\hat{y}_{code,i}$ .









#### □ Total standard deviations across all models calculated for each of 60 ground motions:



Standard deviation terms from soil model predictions plotted individually for each of 60 ground motions.

Variation of maximal standard deviations with respect to the peak shear strain amplitudes developed in soil models across all range of frequencies.



### Conclusions

- ✓ A new FDEL method is proposed to address the overdamping observed in higher frequency components of ground motions predicted using the EL method.
- ✓ The proposed FDEL procedure can be employed over a range of ground motion intensities and soil conditions, which was problematic in previous FDEL methods.
- ✓ 1-D ground response predictions are highly sensitive to the choice of analysis methods and the parametrization of dynamic soil models using hyperbolic material curves.
- ✓ The model-to-model variabilities dramatically increase when considering higher ground motion intensities.
- ✓ A linear model regression was established between the maximum standard deviations and the peak shear strains developed within the soil profile.

## Thank you !