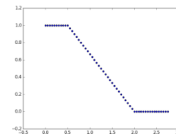


# Prototype of non-uniform grid

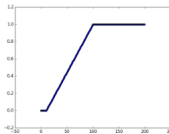
This is a very short introduction to what I have implemented.

## Ideas

- No longer use quad-trees (ie. bisect squares into 4). Instead, we have the following approach:
  - Convert data to grid points
  - Generate the coarsest mesh first (8 Km)
  - Around each point, generate a square domain, half of the distance to the next point
  - Estimate the quality of that square domain. If accepted, add new **6** points. This number is needed to ensure the continuity of the grid as expected
  - Proceed the same way for every point on the coarsest mesh. This will create a new mesh that we will call mesh level 1.
  - Apply the same idea to every point of mesh level 1, resulting into mesh level 2.
  - Stop refining once the distance between points is the smallest acceptable (500 m or other)
  - Convert grid points back to longitude/latitude
- Estimation based around population and vs\_500
  - $\text{total\_score\_domain} = w_v \cdot \text{score\_vs500} + w_p \cdot \text{score\_population}$ .  $w_v + w_p = 1.0$
  - Initially  $w_v = w_p = 0.5$



- $\text{score\_vs500} = 1$  if  $\text{vs\_500} < 0.5$  Km/s, 0 if  $\text{vs\_500} > 2$  Km/s and linearly between 0 and 1 for other values
- $\text{score\_population} = 1$  if population in domain  $> k \cdot \text{min\_population\_acceptable}$ , 0 if population  $< \text{min\_population\_acceptable}$ . Linearly



valued between 0 and 1 otherwise.

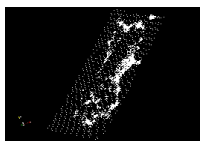
(in the image  $k=10$  just for the example)

- For vs\_500 we use the minimal value of vs\_500 found in the tentative domain
- For population, we use the max value of population found in the tentative domain
- Arbitrarily: if  $\text{total\_score\_domain} > 0.5$  then refine the region. We can change this value, making it smaller will accept lots more of points
- ~~Other idea: use mean instead of max for population.~~

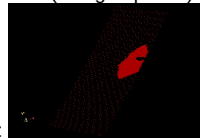
## Results

We consider a grid over an 850km x 300km grid around the South Island. If we have a uniform grid. A mesh with 500m spacing for this domain would contain  $1701 \times 601 = 1022301$  points. In the following we will compare to that quantity.

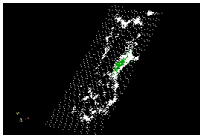
Make the coefficients  $w_v$  and  $w_p$  vary and discuss the resulting non-uniform grids.



- $w_v = 1.0$  gives us a population based grid only: (30k grid points)



- $w_p = 1.0$  seems to give a fine grid only based around Canterbury: (80k grid points)
- Any other values will result in grids in between those extremes. For example, if  $w_v = w_p = 0.5$ , we get the green points on top of the population



grid: Here, the green points are the supplementary points added to the pure population grid.

## Remarks

- The colored map of the vs\_500 values looks like:

