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4 **Stability of Composite Breakwaters under Tsunami Attack**

5
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15 16 **Abstract**

17 Breakwaters are effective structures for mitigating tsunami-induced damage. However, pieces of the
18 breakwater can be displaced by the turbulent tsunami flow, which undermines the stability of the
19 breakwater and reduces its mitigation effectiveness. Assessing the damage to breakwaters in tsunami-
20 prone coasts is therefore valuable for the port authority, cargo owners and coastal residents. Physical
21 experiments were conducted to assess potential damage to a typical composite breakwater in New
22 Zealand due to tsunamis. Higher breakwaters can resist a stronger bore impact and experienced
23 delayed initiation of the same damage. A new parameter is proposed to assess the damage in the
24 armour layer which takes into account the size and density of armour units, height of the breakwater
25 and the tsunami bore depth.

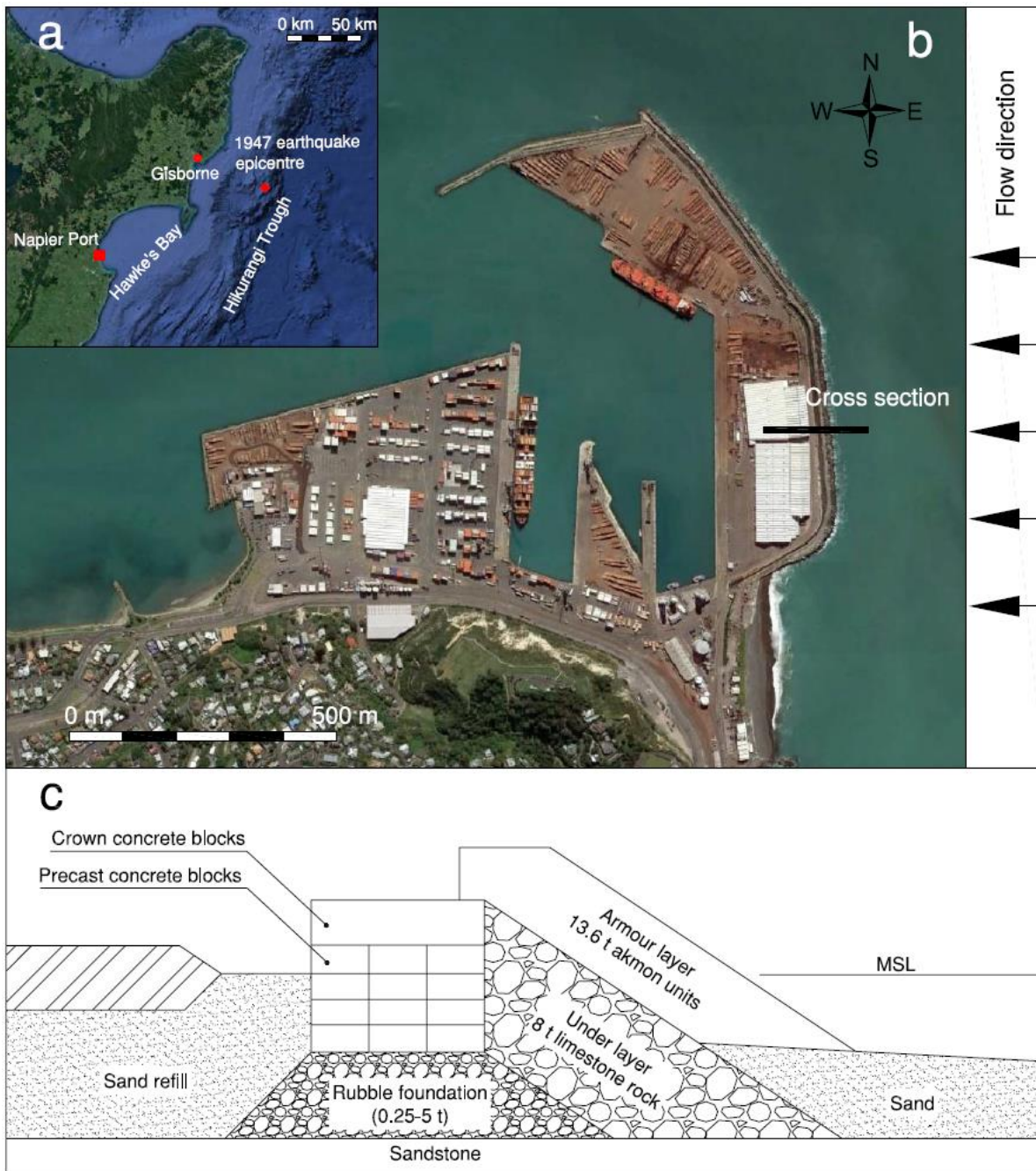
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27 **Keywords:** breakwater, tsunami, damage, stability, dam-break flow

28 29 **1. Introduction**

30 Tsunamis are destructive coastal hazards that pose threats to coastal regions. Coastal structures such
31 as rubble mound breakwaters and seawalls can provide shelter from devastating tsunamis (Chen et al.,
32 2018; Nandasena et al., 2012; Takagi and Bricker, 2014). These coastal structures need to be stable
33 during a tsunami to play their role in reducing its impact. Recent tsunamis (e.g. the 2004 Indian Ocean
34 Tsunami and the 2011 Tohoku Earthquake and Tsunami) have caused significant damage to
35 breakwaters and seawalls, transporting armour units and blocks inland (Lekkas et al., 2011; Nandasena
36 et al., 2011a; PARI, 2011; Paris et al., 2010). Many factors could lead to the collapse of coastal
37 structures, including: the water level difference between the seaside and leeside of the structure
38 (Arikawa et al., 2012), leeside scour (Kato et al., 2012), and tilting and sliding of caissons (Takagi and

39 Esteban, 2013). Following field surveys of damaged coastal structures in Miyagi and Fukushima
40 prefecture after the 2011 Great Japan Tsunami, Jayaratne et al. (2016) summarised failure modes for
41 dikes and seawalls, i.e., leeward and seaward toe scour failure, leeward and seaward slope armour
42 failure, crown armour failure, parapet wall failure and overturning failure. Esteban et al. (2014)
43 analysed the stability of breakwaters struck by the 2004 Indian Ocean Tsunami and the 2011 Great
44 Japan Tsunami, and used a damage parameter similar to that used by Van der Meer (1987) to define
45 the damage level of armour units of breakwaters under tsunami attack. The stability of harbour side
46 breakwater units due to tsunami overflow has been studied using physical and numerical modelling
47 (Maruyama et al., 2014; Mitsui et al., 2014, 2016). Due to the limited applicability of the downes
48 formulae (Isbash, 1936), an estimation method based on overflow depth was established to determine
49 the required mass of armour units (Mitsui et al., 2016). Experimental investigations of tsunami waves
50 impacting rubble mound breakwaters have been carried out with solitary waves and wave overflow
51 approaches (Aniel-Quiroga et al., 2018; Guler et al., 2015). Aniel-Quiroga et al. (2018) took into
52 consideration the damage parameter, the freeboard, the stability number and the number of waves.
53 They found that the tsunami-induced damage of the armour units evolves faster than that by wind
54 waves. Gómez-Martín and Medina (2013) classified the evolution of the armour damage under waves
55 into the four stages listed below, based on the previous armour damage criteria proposed by Losada et
56 al. (1986) and Vidal et al.(1991): (1) Initiation of damage, when the upper armour layer has lost some
57 units; (2) Initiation of Iribarren's damage, when the bottom armour layer is exposed and units in the
58 layer can be extracted due to the damage in the upper armour layer; (3) Initiation of destruction, when
59 the units from the bottom armour layer are removed and the filter layer is visible; and (4) Destruction,
60 when several units have been removed from the filter layer.

61 This study was undertaken to better understand tsunami flow-breakwater interaction and the potential
62 failure modes for composite breakwaters under a range of tsunami depths, the failure modes including
63 armour movement and movement of other breakwater elements. A breakwater in New Zealand (Napier
64 Port breakwater) was chosen as a typical tsunami-prone composite breakwater. Napier Port is the
65 fourth largest container terminal in New Zealand (Napier Port Ltd, 2018). Sheltered by a robust
66 breakwater, the port lies in Hawke's Bay, which is 120 km to the west of the Hikurangi Trough in the
67 South Pacific Ocean (Fig. 1a). The Hikurangi subduction zone is a potential source of tsunamigenic
68 earthquakes (Fraser et al., 2014; GNS Science, 2013). Near Hawke's Bay, a slow-slip earthquake off
69 the coast of Gisborne on 26 March, 1947 (M_w : 7.0-7.1) generated one of the largest tsunamis in New
70 Zealand's recorded history, with a maximum run-up of 10 m in Gisborne (Downes et al., 2000). The
71 return period of the 1947 tsunami was estimated to be 500 years (Fraser, 1998) and the wave period
72 of was 3~10 min according to local eyewitnesses (Eiby, 1982). The 1960 Chile Tsunami caused a
73 maximum run-up of 4.5 m on the East Coast of Napier (King, 2015). The maximum tsunami flow
74 depth could exceed 8 m onshore in Napier under extreme conditions (rupture of the whole Hikurangi
75 subduction margin), according to the numerical estimation of Fraser et al. (2014).



76

77 Fig. 1 (a) Location of Napier Port in Hawke's Bay, (b) location of the studied cross section in Napier
 78 Port breakwater, (c) simplified schematic of the studied cross section and its composition. Sources:
 79 Google Earth, GeoNet, Opus (2018).

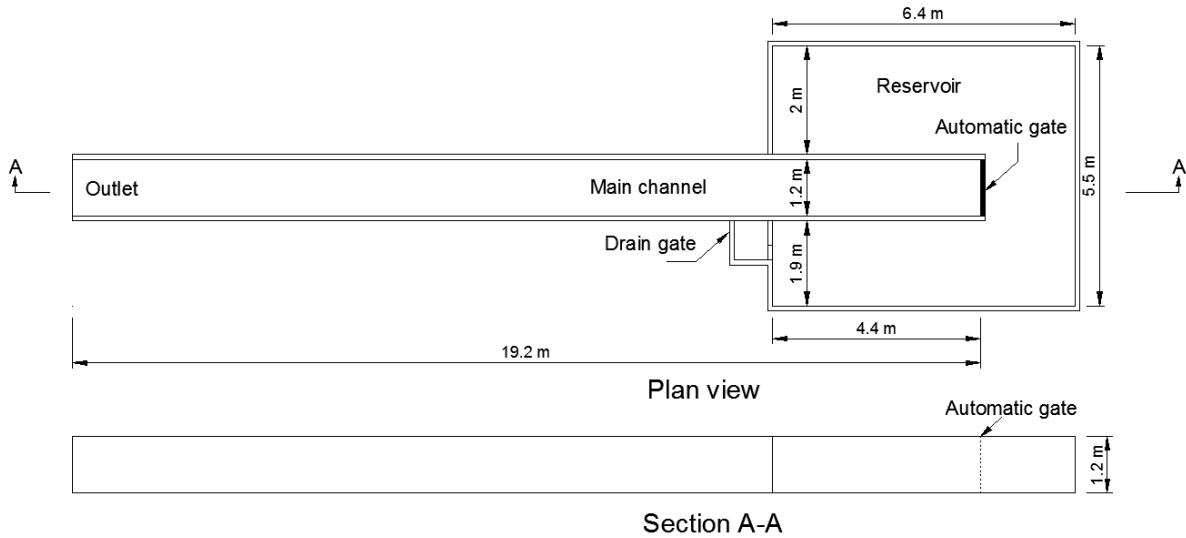
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81 2. Methodology

82 2.1 Facility

83 Physical experiments were carried out in the Fluid Mechanics Laboratory at the University of
 84 Auckland, New Zealand. The tsunami flume consists of a 19.2 m long, 1.2 m wide and 1.2 m deep
 85 channel and a reservoir 6.4 m long, 5.5 m wide and 1.2 m deep (Fig. 2). The reservoir covers an area

86 of 30 m² and has a maximum storage capacity of 36 m³ water. An automatic gate is installed at one
 87 end of the channel to generate a tsunami-like bore. The drain gate and outlet are used to empty the
 88 flume. The automatic gate is opened for 10 s to generate stable bores, which were used to simulate
 89 tsunami bores due to the similarity of dam-break flows to the motion of tsunami bores (Chanson, 2006).
 90



91
 92 Fig. 2 Experimental set-up: plan view of the tsunami flume and side view of the flume
 93

94 *2.2. Description of scaled models*

95 The typical cross-section of the Napier Port breakwater was developed based on available drawings
 96 and schematics (Opus, 2018). Fig. 1b shows the location of the cross section through the breakwater,
 97 which faces due east (offshore direction). The selected breakwater cross section is a composite
 98 structure, including a seaward armour layer (13.6 t Akmon units in two layers), an underlayer
 99 comprised of 8 t (W_{50}) limestone rocks, crown concrete blocks and precast concrete blocks in four
 100 layers. The leeside of the breakwater is reclaimed and forms a storage yard (Fig. 1c). The tidal range
 101 at Napier Port is approximately 1.5 m and was not considered in this study. The water level was
 102 assumed to be mean sea level (MSL in Fig. 1c) before the arrival of a tsunami wave. Typically the
 103 highest tidal level was considered for analysis as it represents the worst case, but in this study we
 104 simulated complete sea withdrawal before the first wave (bore) came. Therefore, rather than
 105 considering tides and waves, we considered the flow depth from the bed (more details are given in
 106 section 2.3).

107 Due to the dominant role of inertial and gravitational forces in tsunami wave motion and their effect
 108 on structures, the scaling is based on Froude number similarity. Typical breakwater sections with four
 109 different heights were reproduced at a 1:40 length scale. The stability of armour units can be simulated
 110 correctly when the weight scale is computed using Eq. (1)

111
$$\lambda_w = (\lambda_L^3) \frac{(\gamma_r)_m}{(\gamma_r)_p} \left[\frac{(\gamma_r)_p / (\gamma_w)_p - 1}{(\gamma_r)_m / (\gamma_w)_m - 1} \right]^3 \quad (1)$$

112 where $(\gamma_r)_m$ and $(\gamma_r)_p$ are the densities of stones in model and prototype, $(\gamma_w)_m$ is the unit weight of water
 113 used in the model, which is 1000 kg/m³ and $(\gamma_w)_p$ is the unit weight of sea water, which is assumed to
 114 be 1025 kg/m³. The densities of limestone rocks, Akmon units and concrete blocks are 2400 kg/m³ in
 115 the model and prototype. Hence, the scales are: length scale= $\lambda_L=40$, time scale= $\lambda_T=6.32$, and weight
 116 scale = $\lambda_w=56303$ (Akmon units, limestone rocks and concrete blocks). The details of units used in
 117 experiments are given in Table 1. These four types of units were moveable in this experiment while
 118 the structure behind the breakwater was fixed to simulate the storage yard, thus the potential leeside
 119 erosion during tsunami overflow was not simulated.

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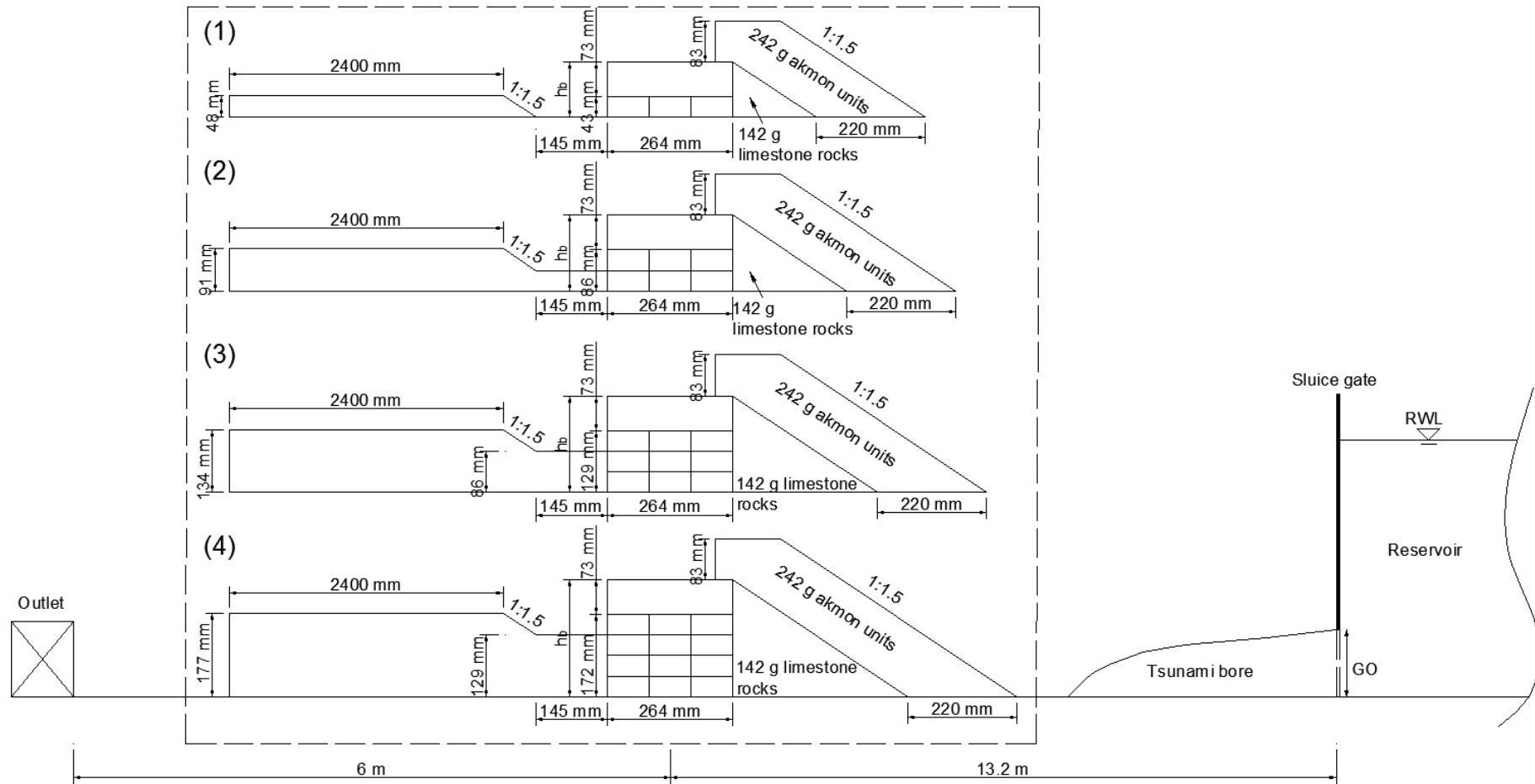
121 Table 1 Summary of units and blocks used in experiments. Note *a*, *b*, and *c* are the lengths of
 122 longitudinal, lateral, and height axes of the concrete blocks, respectively.

Units	Density (kg/m ³)	Model weight (g)	Dimension (mm), (<i>a</i> × <i>b</i> × <i>c</i>)	Number
Akmon units	2400	242	-	298
Limestone rocks	2400	142 (<i>W</i> ₅₀)	-	621
Crown concrete blocks	2400	4394	264×95×73	12
Precast concrete blocks	2400	436	88×48×43	288

123

124 Fig. 3 shows the scaled model cross sections of the breakwater for four different breakwater heights,
 125 with 1 to 4 layers of precast concrete blocks behind the armour units, for which the breakwater heights
 126 above the base of the flume (*h_b*) were 116 mm, 159 mm, 202 mm and 245 mm. The precast concrete
 127 blocks were placed in 3 rows (24 blocks each row) along the flume. On top of the precast concrete
 128 blocks, the 12 crown concrete blocks were aligned longitudinally in one row across the width of the
 129 flume (with their longitudinal axes aligned along the flume). The setup was the same for different
 130 layers of the precast concrete blocks. The centreline of the crown concrete blocks was 13.2 m
 131 downstream of the pneumatic gate from which the tsunami-like bore is released.

132



134

135 Fig. 3 Model set-up with different breakwater heights: (1) 116 mm; (2) 159 mm; (3) 202 mm; (4) 245 mm. h_b is the breakwater height. RWL is the reservoir
 136 water level and GO is the gate opening height. (Figure not to scale)

137

138 *2.3. Experimental conditions and procedure*

139 Tsunami propagation was carried out on a dry flume bed, which simulates conditions with an exposed
140 seaward bed caused by water recession before the first tsunami wave strikes (Fritz et al., 2011, 2007;
141 Goto et al., 2007; Klettner et al., 2012; Tadepalli and Synolakis, 1996). As shown in Fig. 1, the
142 breakwater is very close to the beach, with one end connected to the beach. The potential water
143 recession when a tsunami occurs could expose the seabed at the seaside of the breakwater, especially
144 the part close to the beach. The set-up with different breakwater heights enables analysis of the tsunami
145 impact along the breakwater (cross-sections being similar) as the seabed level changes. In addition, it
146 allows analysis of the influence of breakwater heights for a range of tsunami bores. Seven dam-break
147 generated tsunami bores were used (detailed description in section 3.1). Before the model was
148 constructed, maximum bore depths and bore tip propagation speeds along the flume were measured
149 in the tsunami flume using four capacitance wave gauges spaced 1.5 m apart along centreline of the
150 flume following the method of Chen et al. (2016) and Shafiei et al. (2016). The bore tip propagation
151 speed was calculated by dividing the distance between two gauges and the time difference between
152 when the bore hit the wave gauges (time of flight approach). The last wave gauge was mounted 12.7
153 m downstream of the gate on the centreline of the flume, with a side-looking Nortec Vectrino acoustic
154 Doppler velocimeter (ADV) 40 mm above the flume bed. Bore depths were measured at 1000 Hz and
155 velocities were measured at 200 Hz simultaneously. Five repetitions of each size of bore were
156 conducted to get consistent and reliable results. The gate was opened almost instantaneously to the
157 gate opening height (*GO*) and remained open for 10 s before closing automatically. For each of the
158 bore cases, at least five trials were run and the breakwater was rebuilt after each trial. Through this
159 rebuilding process, the effect of variation in placement of breakwater components could be assessed,
160 as the rebuilding process does not result in identical layouts. In the experiments, the seaward Akmon
161 units, limestone rocks and concrete blocks were all moveable. Damage of the armour layer and the
162 body of the breakwater and displacement of the Akmon units and concrete blocks was measured.
163 Measurements of the damaged armour layer and underlayer were made in the central area of the flume
164 (0.8 m in length). The Akmon units and limestone rocks outside the measured section were dyed black.
165 The Akmon units in the measured section were dyed in three colours, yellow for the upper part, red
166 for the middle and green for the lower part. The precast concrete blocks in different layers and rows
167 were marked differently so that the path taken by an extracted block could be tracked. A detailed
168 summary of the model composition is given in Table 2. Three cameras, one top view (GoPro 6, 60
169 fps), one side view (Webcam 920, 30 fps) and one lateral view (Webcam 920, 30 fps) were installed
170 to capture the flow interaction with the structure.

171

172 Table 2 Composition of each model in terms of the number of different breakwater components

Breakwater height h_b	Number of Akmon units (two layers)					Number of limestone rocks			Number of precast concrete blocks	Number of precast blocks layers
	mm	Yellow (upper centre)	Red (middle centre)	Green (lower centre)	Black (both sides)	Total	White (centre)	Black (both sides)		
116	38	38	38	54	168	101	50	151	72	1
159	48	48	48	78	222	178	88	264	144	2
202	55	57	57	83	252	250	130	380	216	3
245	66	66	66	100	298	405	216	621	288	4

173

174 2.4. Damage assessment methodology

175 Both visual and quantitative methods were used to analyse the damage of the breakwater. The
176 quantitative damage assessment of the armour layer was analysed with the following parameters.

177 The stability number proposed by Hudson (1959) was calculated, using Eq. (2), i.e.,

$$178 N_s = \frac{h_0}{\Delta D_{n50}} \quad (2)$$

179 where Δ is the relative mass density given by $\Delta = \rho_s / \rho_w - 1$, in which ρ_s and ρ_w are densities of the
180 breakwater units and water respectively and h_0 is the bore depth, which was used instead of the
181 significant wave height as used by Hudson (1959). D_{n50} is the cube-equivalent side length of the
182 Akmon units (0.0465 m). N_s can be considered to be the ratio of the destabilising strength of the bore
183 to the mass of the armour units.

184 In this study, the breakwater height was normalised in two different ways, as follows,

$$185 F_n = \frac{h_b}{h_0} \quad (3)$$

$$186 F_b = \frac{(h_b \Delta D_{n50})^{0.5}}{h_0} \quad (4)$$

187 where F_n is termed relative breakwater height and F_b is a ratio of the stabilising strength of the armour
188 units to the bore depth.

189 The damage parameter, S , was used to quantify the damage of the Akmon units in the armour layer. S
190 is defined in equation (5) following Broderick (1984):

$$191 S = \frac{A_e}{D_{n50}^2} \quad (5)$$

192 where A_e is the average eroded area, which can be computed using Eq. (6) (Vidal et al., 2004)

$$193 A_e = \frac{N_e D_{n50}^3}{(1-n)L} \quad (6)$$

194 where N_e is the number of extracted stones or units, L is the width of the studied section (0.8 m in this
195 study) and n is the armour layer bulk porosity computed as follows,

196
$$n = \frac{dA - mV}{dA} \quad (7)$$

197 where A is the surface area of the armour layer (m^2), m is the number of armour units, V is the volume
 198 of a single armour unit (m^3) and d is the thickness of the armour layer (m). In this study, $n=0.616$.
 199 The damage ratio, R_d , was also used to quantify the damage of the armour layer; it is defined as the
 200 percentage of displaced armour units to the total number of armour units following Hudson (1959)

201
$$R_d = \frac{N_{displaced}}{N_{total}} \times 100\% \quad (8)$$

202 where $N_{displaced}$ is the number of displaced stones or units and N_{total} is the total number of stones or units
 203 in the section.

204

205 **3. Results**

206 *3.1. Flow depths and velocities*

207 Table 3 shows the bore properties measured at 12.7 m downstream of the pneumatic gate. With a
 208 length scale of 1:40, the cases (a)-(g) simulate tsunami bores with heights from 3.68 m to 8.8 m in the
 209 prototype. Fig. 4a and Fig. 4b illustrate the time series of the bore depths and velocities (cases b, c, d,
 210 g in Table 2). The bore arrival at the wave gauge was characterised by a rapid increase in free surface
 211 elevation. A quasi-steady period followed the bore front for approximately 5 s, before the free surface
 212 elevation decreased as the gate closed. The model wave half-period $T/2$ exceeded 25 s for all bore
 213 cases, equivalent to a real life tsunami $T/2 > 158$ s. For the velocity measurement, the ADV could not
 214 capture data at the leading edge of the bore because of the aeration of the bore front and that the ADV
 215 was exposed to the air. A second order polynomial curve was used to fit the temporal dependence of
 216 the bore tip propagation speed and the velocities measured by the ADV, as shown in Fig. 4b (Park et
 217 al., 2013). The bore has a larger velocity at its front and a steady decreasing trend. Fig. 4c and Fig. 4d
 218 illustrate the time series of Froude number Fr and specific momentum flux hu^2 . Froude number is
 219 defined as:

220
$$Fr = \frac{u}{\sqrt{gh}} \quad (9)$$

221 where u is the depth-averaged velocity, h is the water depth and g is gravitational acceleration. A
 222 preliminary experiment shows that velocities measured at 40 mm, 80 mm and 120 mm above the flume
 223 bed were almost the same. Herein, velocities measured at 40 mm above the flume bed were used to
 224 calculate Fr and specific momentum flux hu^2 . The Froude number Fr is larger than 3 at the bore front
 225 and decreases rapidly after the bore height reached its peak. Fr ranges from 1.05-1.6 in the quasi-

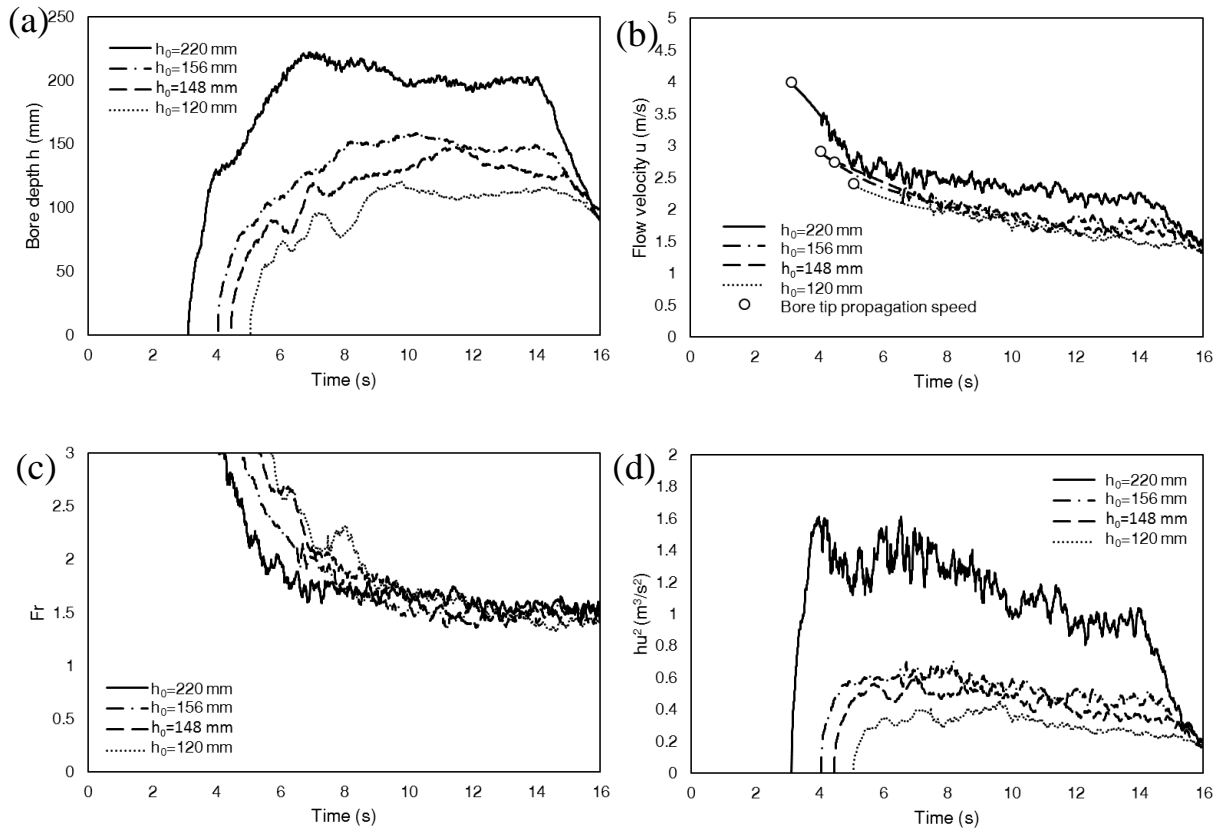
226 steady period for bore cases (a)-(g). The specific momentum flux reached its maximum value before
 227 the bore reached its maximum depth.

228

229 Table 3 Properties of generated tsunami bores

Case ID	Reservoir water depth H (mm)	Gate opening height GO (mm)	Gate opening time (s)	Maximum bore depth h_0 (mm)	Bore tip propagation speed U (m/s)	Average Fr in the quasi-steady period
a	300	200	10	92	1.91	1.05
b	400	200	10	120	2.41	1.49
c	500	200	10	148	2.75	1.47
d	600	200	10	156	2.92	1.49
e	700	200	10	165	3.28	1.67
f	700	300	10	200	3.31	1.39
g	900	300	10	220	4.01	1.60

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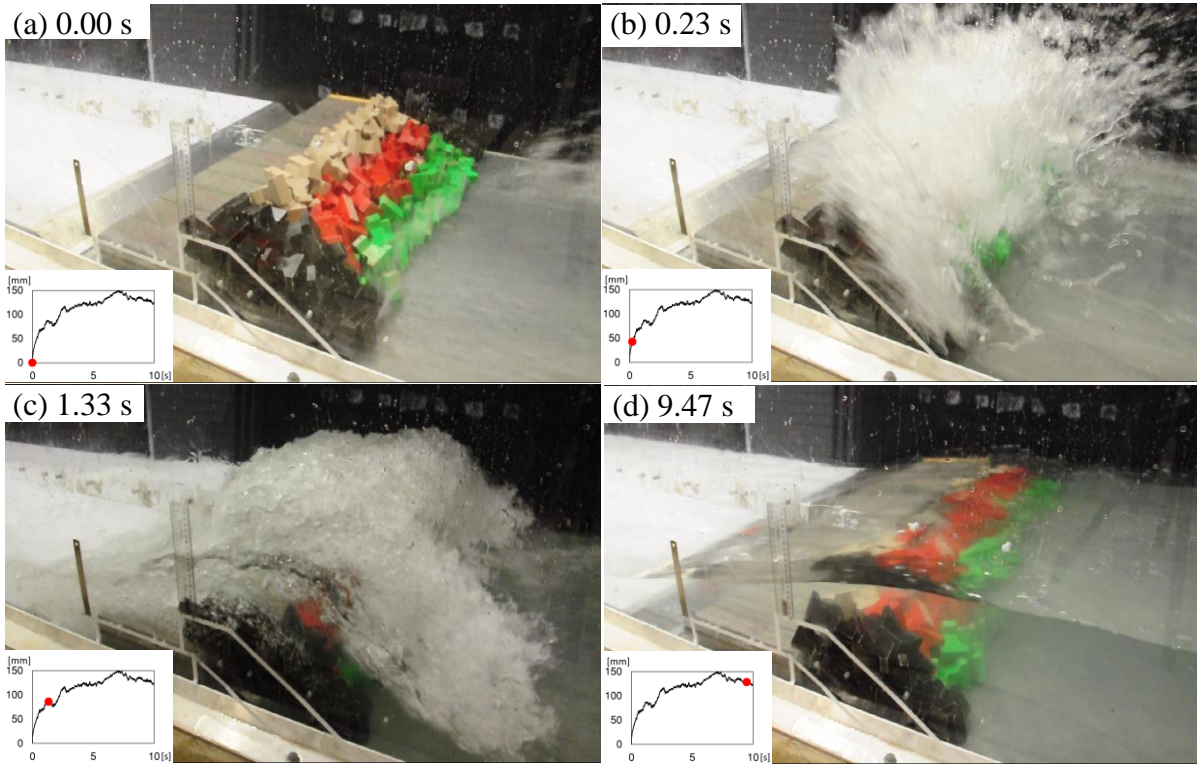
233 Fig. 4. Time series of (a) bore depth h , (b) flow velocity u , (c) Fr and (d) hu^2 without the breakwater
 234 at 12.7 m downstream of the pneumatic gate. Bore cases are b, c, d and g (Table 3). The bore
 235 propagation speeds are the circles in (b). A second order polynomial curve was used to fit the bore tip
 236 propagation speed and velocities measured by the ADV.

237

238 *3.2. Flow interaction with the breakwater*

239 The tsunami bores were supercritical flow ($Fr > 1$) before they impacted the breakwater. The water
240 flow splashed up the slope and overtopped the breakwater, which caused air entrainment and energy
241 dissipation. Meanwhile, a significant flow of water was deflected back seawards, forming a feature
242 resembling a hydraulic jump above or upstream of the breakwater, similar to that observed by Ozmen-
243 Cagatay and Kocaman (2011) and Esteban et al. (2017). Fig. 5 shows four stages of the flow impact
244 on the breakwater ($h_b = 116$ mm, $h_o = 148$ mm): (1) initial impact, (2) splash up, (3) overtopping, (4)
245 quasi-steady overflow. The times shown in Fig. 5 are measured from when the bore tip reached the
246 toe of the breakwater. Ohtsu et al. (1996) found that the transition from splash up to a surface roller
247 upstream of the obstacle while increasing the height of an obstacle (termed case A incipient jump) was
248 dependent on the relative obstacle height (termed F_n in this paper) and the supercritical Froude number.
249 Thus, the time spans of the four stages are different for different case combinations. For a stronger
250 bore and the same breakwater height, the case A incipient jump occurred later, as the “jet flow”
251 dominates the overtopping stage and the quasi-steady stage.

252 Nandasena et al. (2011b) reported three modes of initial transport of boulders or blocks under tsunami
253 attack: sliding, rolling and saltation. When the flow velocity reaches the minimum velocity to initiate
254 movement of the boulder, either of the transport modes above will occur (Nandasena et al., 2011b). In
255 this study, an example of the tsunami flow-breakwater interaction was given in Fig. 5, the water splash-
256 up entrained some Akmon units on the seaward side toe of the breakwater and deposited them on top
257 of the breakwater (saltation). The water flow subsequently washed away the displaced Akmon units,
258 along with some Akmon units at a higher elevation in the overtopping stage and the quasi-steady
259 overflow stage (rolling and sliding). The major movement of Akmon units and the crown concrete
260 units occurred before the maximum depth of the tsunami bore occurred, which could be explained by
261 the larger velocities (Fig. 4b) or the specific momentum flux (Fig. 4d) in a tsunami bore at its leading
262 front (Johnson et al., 2016; Nandasena et al., 2011a; Park et al., 2013; Xu et al., 2018). The units of
263 the breakwater were not moved by the flow at the end of the quasi-steady overflow stage, even though
264 in the quasi-steady stage the flow may have a larger water depth than the incoming supercritical flow.
265 A preliminary experiment showed that a longer bore would not move more units in the breakwater.



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273 3.3. General description of breakwater damage

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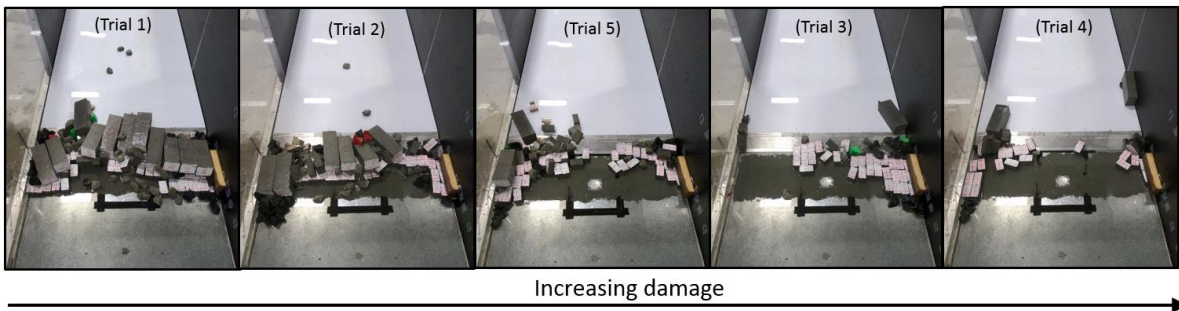
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Fig. 5 Lateral view of the breakwater under dam-break simulated tsunamis. (a) Initial impact at 0.00 s. (b) Splash up at 0.23 s. (c) Overtopping at 1.33 s. (d) Quasi-steady overflow at 9.47 s. The height of the breakwater is 116 mm and the bore is case c (Table 3). The inset pictures show the bore depths at corresponding times without the breakwater.

For each of the bore depths tested, the damage to the breakwater can be classified into four failure stages: (1) initiation of movement of the concrete armour units; (2) displacement and washing away of the under layer (limestone rocks); (3) rotation and washing away of the crown concrete blocks; and (4) displacement of the precast concrete blocks. Stage 4 represents the collapse of the breakwater. The mode of damage of the breakwater was consistent for different breakwater heights and bore depths. There was some variability in the damage that occurred for different trials of the same scenario (Fig. 6). The values of damage parameter S and damage ratio R_d obtained for each scenario are therefore given as averages of five trials.



282

283 Fig. 6 An example of the variability of damage between different trials. The breakwater height is 116
284 mm and the bore case is (f) (Table 3). The breakwater was restored to its initial condition before each
285 trial.

286

287 3.4. Breakwater stability for different breakwater heights

288 Fig. 7 to Fig. 10 provides a visual overview of the breakwater damage for each trial and breakwater
289 height, in which the photo (0) shows the initial condition before each test. Each of the post-test
290 photographs shows the particular test from a set of five with the median amount of damage, and
291 therefore comparable with the damage parameter derived for the scenario.

292 All of the seaside armour was fully submerged during overtopping except in two cases, bore case (a)
293 (Table 3) impacting the breakwater heights 202 mm and 245 mm. In these two scenarios, some Akmon
294 units above the crest level of the crown blocks were not submerged, none of the armour units moved
295 and no damage was observed. In all tests, around 40 yellow Akmon units were above the crest level
296 of the crown blocks for each model, and were more easily moved by the overtopping flow. The crown
297 concrete blocks remained stable until almost all seaside Akmon units and some limestone rocks were
298 washed away. The precast concrete blocks under the crown blocks remained stable as long as the
299 crown blocks were not displaced. For the breakwater damage caused by the 2011 Japan Tsunami,
300 $S=15$ defined catastrophic damage (Esteban et al., 2014). This threshold is similar to the results in this
301 study, in which almost all Akmon units were washed away when $S>15$ (except in the case with a
302 breakwater height of 245 mm).

303

304 3.4.1 Breakwater height 116 mm

305 Only Akmon units were moved when the bore depth was less than 148 mm. Some limestone rocks
306 were extracted when the bore depth was larger than 148 mm. When impacted by a 165 mm bore,
307 almost all Akmon units and limestone rocks were washed away by the splashing flow (Fig. 7e).
308 Immediately after that, the crown concrete blocks moved slightly backwards, the seaside edges of
309 blocks lifted and each of the row of blocks rotated 180° along the long axis and were subsequently
310 washed away. Once the precast concrete blocks underneath the crown blocks were exposed, they were
311 easily displaced by the tsunami flow. Some precast concrete blocks were also extracted when the bore
312 depth was 165 mm. The seaside row of the precast concrete blocks was more easily extracted once the
313 other components of the protection structure were washed away.

314

315 3.4.2 Breakwater height 159 mm

316 Some limestone rocks were extracted when the bore depth was 156 mm (Fig. 8d), and. the crown
317 blocks started to move when the bore depth was 200 mm (Fig. 8f). The precast concrete blocks started
318 to be extracted when the bore depth was 220 mm (Fig. 8g). The top layer of precast concrete blocks

319 was the first to be moved, and once it was washed away, the exposed seaside row of the bottom layer
320 was also subject to movement.

321

322 3.4.3 Breakwater height 202 mm

323 Some limestone rocks were extracted when the bore depth was 165 mm (Fig. 9e). The crown blocks
324 started to move when the bore depth was 200 mm (Fig. 9f). Some of the precast concrete blocks in the
325 top layer, especially the seaward row, were extracted when the bore depth was 220 mm (Fig. 9g). No
326 damage was observed in the middle layer and the bottom layer of the precast blocks.

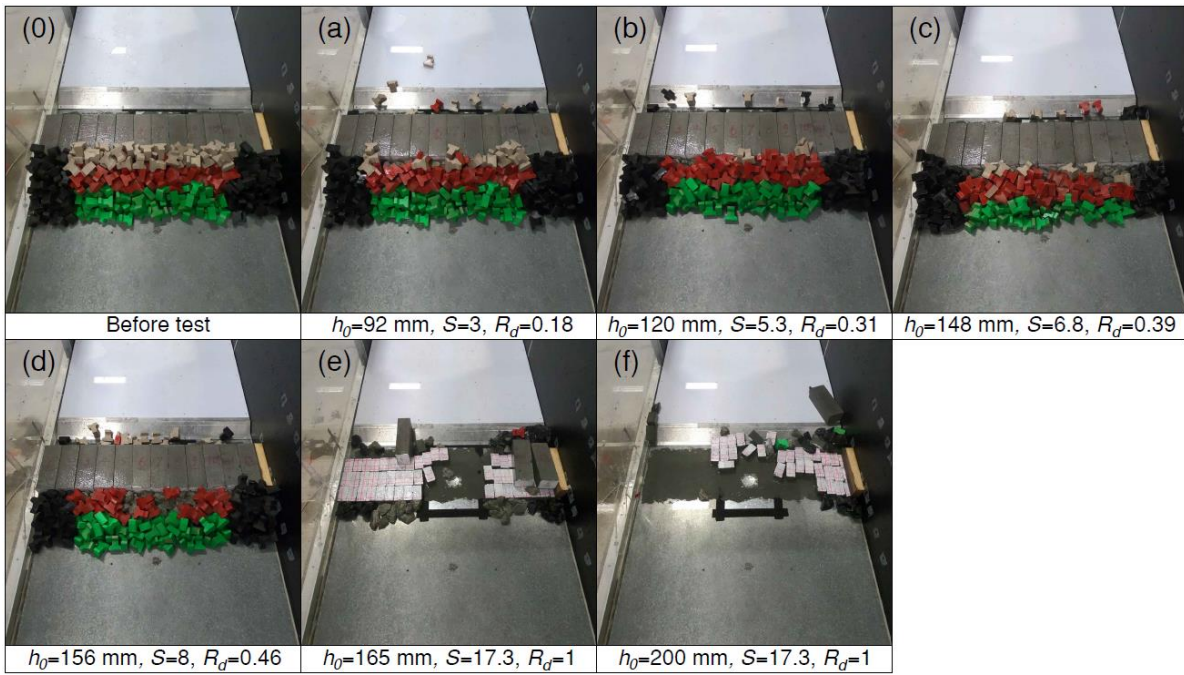
327

328 3.4.4 Breakwater height 245 mm

329 The Akmon units started to move when the bore depth was 120 mm (Fig. 10b). Some limestone rocks
330 were extracted when the bore depth was 200 mm (Fig. 10f). The crown blocks started to move when
331 the bore depth was 220 mm (Fig. 10g), but no movement of precast concrete blocks was observed
332 (even though almost all Akmon units were washed away).

333

334



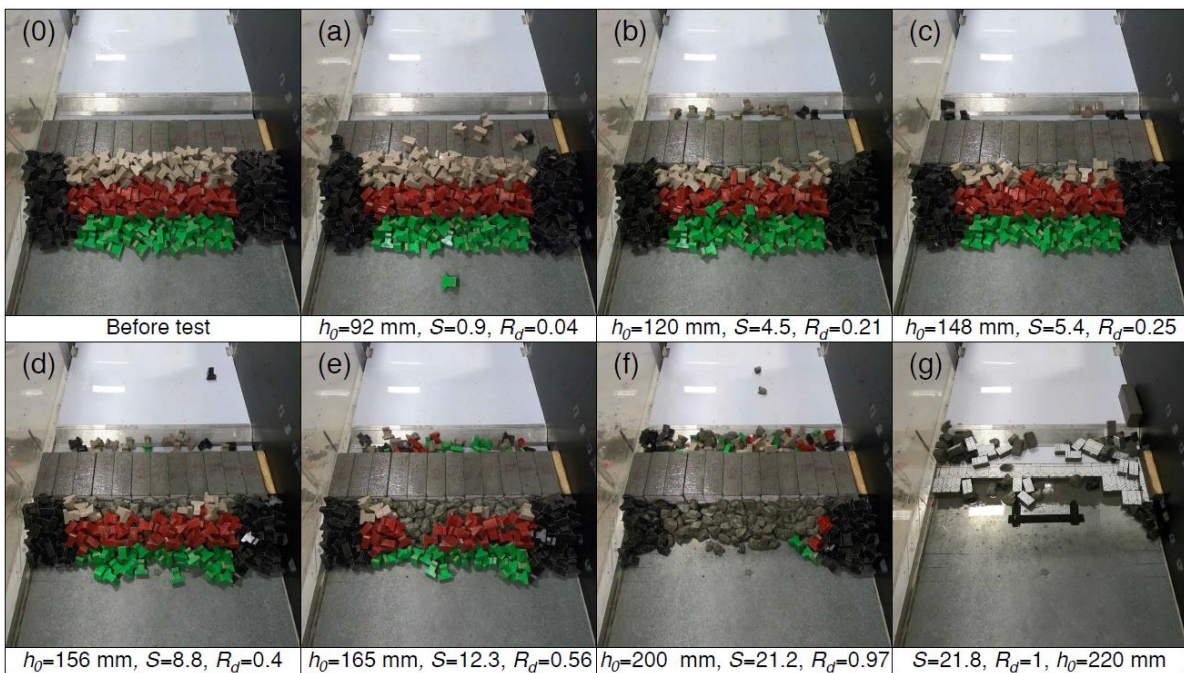
335

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Fig. 7 Photos of damage of armour layer and breakwater units under different tsunami depths (a-f), breakwater height 116 mm.

337

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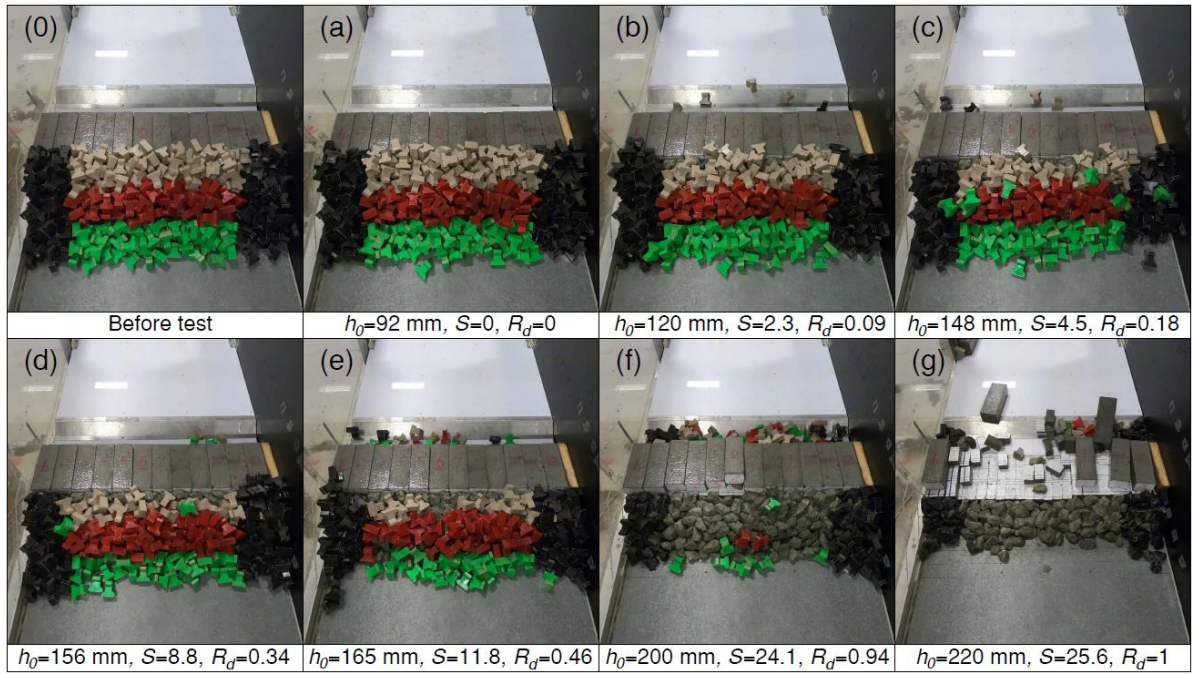


339

340

Fig. 8 Photos of damage of armour layer and breakwater units under different tsunami depths (a-g), breakwater height 159 mm.

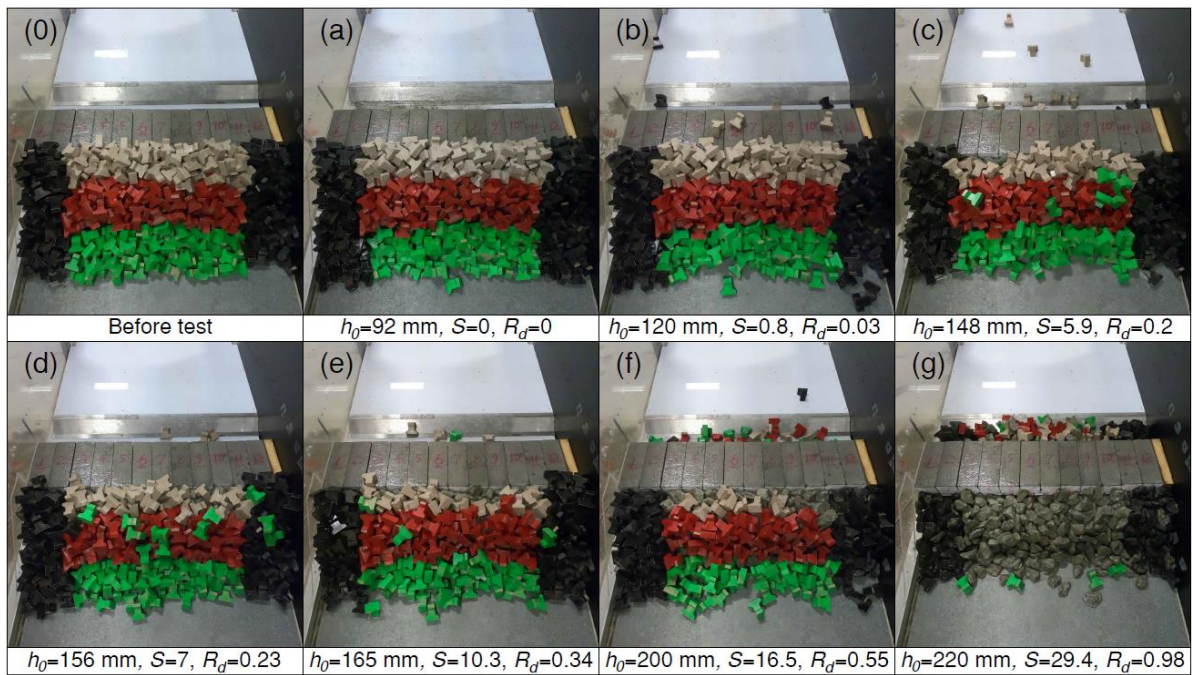
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342

343 Fig. 9 Photos of damage of armour layer and breakwater units under different tsunami depths (a-g),
 344 breakwater height 202 mm.

345

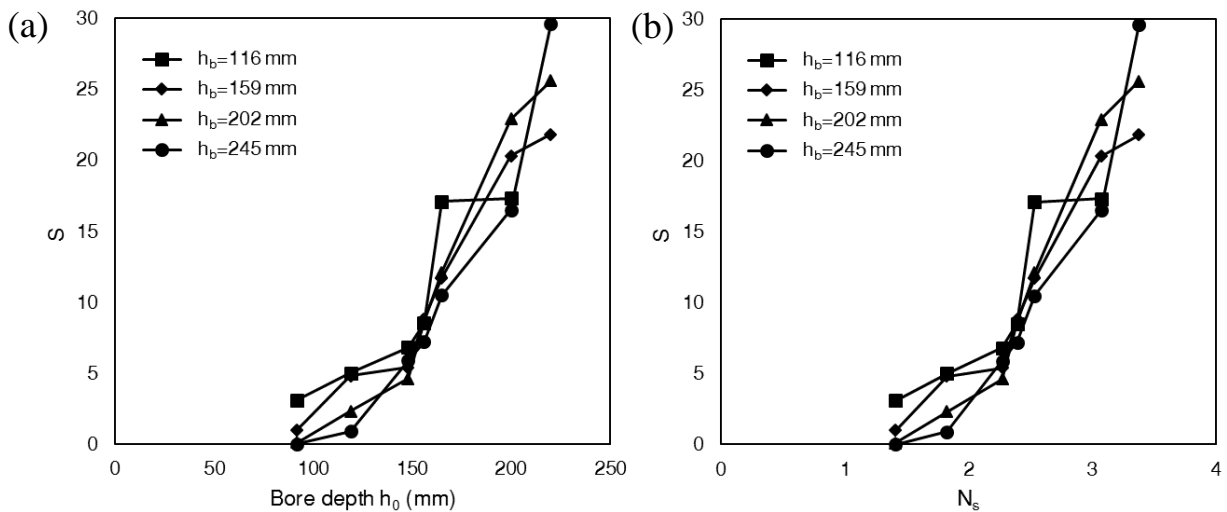


346

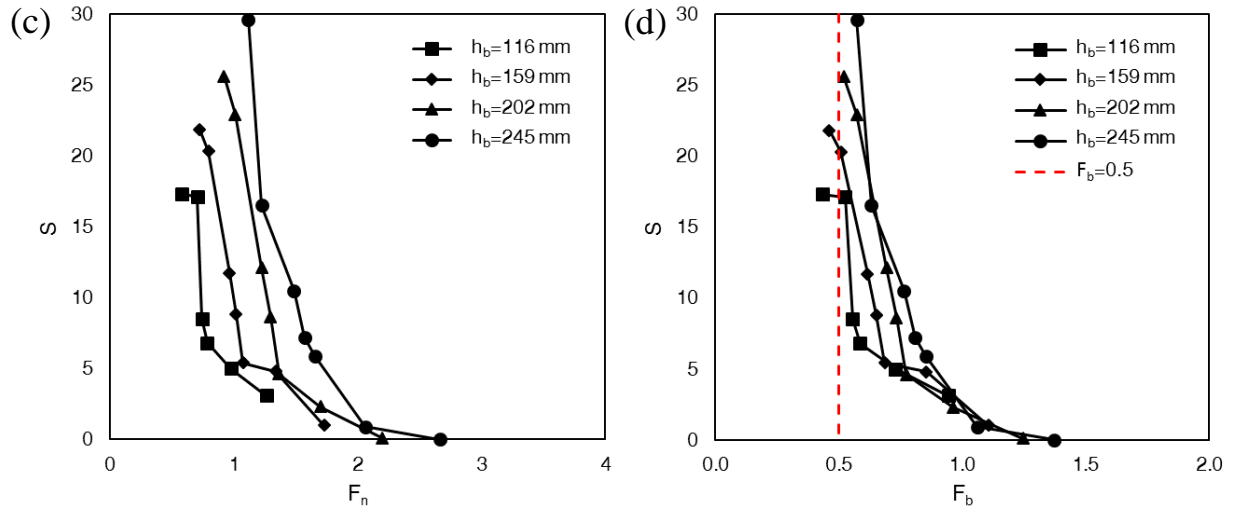
347 Fig. 10 Photos of damage of armour layer and breakwater units under different tsunami depths (a-g),
 348 breakwater height 245 mm.

349 3.5. Damage parameter, S

350 Analyses of the damage parameter S of the Akmon units are presented in this section. The largest S
 351 values obtained for breakwater heights 116 mm, 159 mm, 202 mm and 245 mm, were 17.3, 21.8, 25.6
 352 and 30 respectively. The crown concrete blocks, which were protected by the armour layer, moved
 353 when S exceeded about 15 (except for the breakwater height of 245 mm). It is also apparent that total
 354 removal of the Akmon layer occurs at a larger value of S for a larger breakwater height, compared to
 355 that of a lower breakwater height. Fig. 11 shows the relationship between the damage parameter and
 356 (a) the bore depth h_0 , and (b) the stability number, N_s . Typically, S increases with the bore depth and
 357 therefore with N_s . For the threshold for significant damage ($S=15$), N_s varies from 2.5 to 3.0 for
 358 breakwater height ranging from 116 mm to 245 mm. Fig. 12 (c) and (d) show the relationship of the
 359 damage parameter with the two non-dimensional parameters F_n and F_b , and show that the damage was
 360 smaller with a larger breakwater height and with a smaller bore strength. In general, the damage in
 361 terms of S decreases with increasing F_n or F_b . F_b is shown to be a better parameter to characterise
 362 damage compared to F_n , because S values are more scattered in the S - F_n graph. When $F_b > 1$, little
 363 damage occurred. A surge in S occurs when F_b is decreased from 1. When F_b was as low as 0.5,
 364 destruction of the armour layer was observed. In summary, F_b is a useful parameter for assessing the
 365 damage of the armour layer under tsunami flow.



366



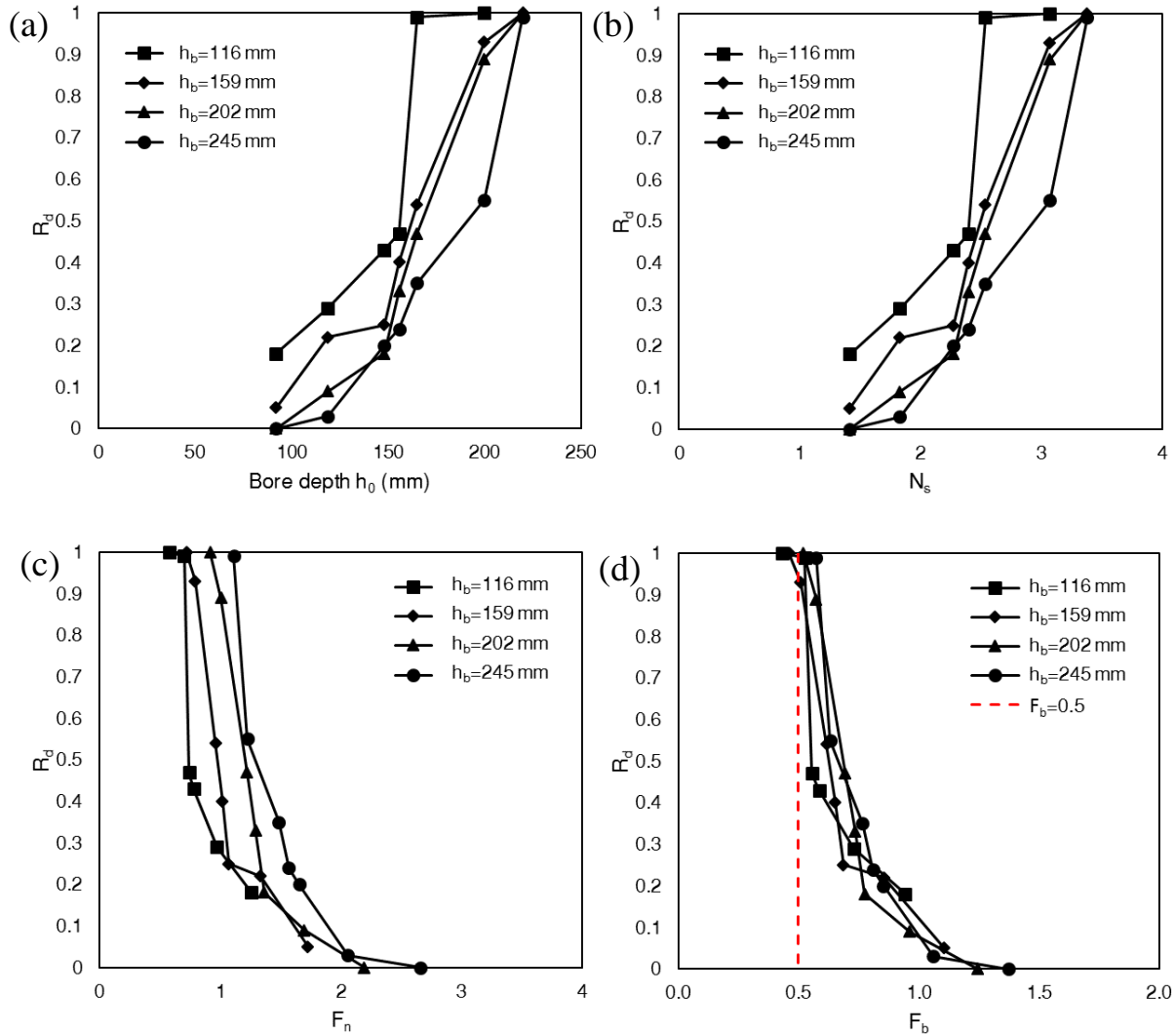
367

368 Fig. 11 Damage parameter S in relation to (a) h_0 , (b) N_s , (c) F_n , (d) F_b

369

370 3.6. Damage ratio, R_d

371 The damage ratio R_d is plotted against the bore depth h_0 , N_s , F_n and F_b in Fig. 12. R_d increases with the
 372 increasing bore depth and therefore increasing N_s . When $N_s > 2.3$, R_d increases at a faster rate with N_s ,
 373 reflecting increased damage with smaller increments in bore depth. Fig. 12 (c) and (d) show the
 374 relationship of the damage ratio with the two non-dimensional parameters F_n and F_b , again showing
 375 that the damage will be less with a larger breakwater height or a smaller bore strength. This again
 376 suggests that F_b is a good parameter for assessing the damage of the armour layer under tsunami flow
 377 as the data points are less scattered in the R_d - F_b graph than in the R_d - F_n graph. For the same N_s , the
 378 higher breakwaters experience less damage level; the higher breakwaters experience a delayed
 379 initiation of the same damage level, showing increased stability during the tsunami flow.



380

381

382 Fig. 12 Damage ratio R_d in relation to (a) h_0 , (b) N_s , (c) F_n , (d) F_b

383 4. Discussion and implications

384 4.1. Froude number and the influence of bed roughness

385 Because no time-varying Fr records are available at the shoreline for actual tsunamis, many
 386 researchers reported Fr calculated from inundation flow depths and estimated inland velocities. For
 387 example, Nanayama and Shigeno (2006) estimated $Fr=1.6-2.8$ near a river mouth struck by the 1993
 388 tsunami in southwest Hokkaido, Japan. When the flow travelled further inland, it became subcritical
 389 with $Fr=0-0.9$. Matsutomi et al. (2006) reported Fr from 0.7 to 2.0 in Thailand and Indonesia during
 390 the 2004 Indian Ocean Tsunami. Values of $Fr=0.61-1.04$ estimated from videos within Banda Aceh
 391 more than 3 km from the shoreline during the 2004 Indian Ocean Tsunami are reported by Fritz et al.
 392 (2006). Similarly, Nandasena et al. (2012) reported a Froude number of 1.14-1.4, estimated from
 393 videos, at a distance of 1 km inland from the shoreline at the Sendai plains. From numerical modelling
 394 of a tsunami approaching the coast under ideal conditions, Fr of the wave front increases at the
 395 shoreline due to a decreasing water depth and decreases as the flow propagates inland (Nandasena et

396 al., 2013). With increased bed resistance and a sloping upward bed, the flow decelerates and steepens
397 as the tsunami flow inundates inland areas (Esteban et al., 2019). As discussed above, a large Fr in the
398 bore front that lasts for a short period (3-4 s) and $Fr=1.05-1.6$ in the quasi-steady state were deemed
399 appropriate in this study (see Fig. 4c).

400 For the experiments, most parts of the surface of the channel were concrete with a Manning's
401 roughness coefficient of 0.012. In the test section (2.4 m along the flow direction), the surface of the
402 channel was smooth steel. Most recent experimental research by Wüthrich et al. (2019) and Esteban
403 et al. (2019) showed that bores on a rough dry bed have lower front velocities, higher flow depths,
404 lower Fr and steeper fronts. As the flow propagates inland, it seems necessary to increase the bed
405 roughness to account for the macro-roughness such as urban buildings, vegetation etc., as suggested
406 by Bricker et al. (2015).

407 4.2. Damage comparison

408 Aniel-Quiroga et al. (2018) proposed the equation below to estimate the damage in the seaside armour
409 layer of rubble mound breakwaters under the impact of solitary waves,

$$410 \quad \frac{S}{N} = 0.00678 F_n^{-1} \exp(1.191 N_s) \quad (10)$$

411 where S is the damage parameter, N is the number of waves, F_n is the freeboard (breakwater height
412 herein) divided by wave height (bore depth herein) and N_s is the stability number. When $N=1$, the
413 calculated S using this equation was much smaller than the measured S from the experiments of this
414 study. This indicates dam-break simulated bores can cause more damage in the armour layer than
415 solitary waves of the same height, which may attribute to higher velocities and longer durations of the
416 bores, as well as the difference of the layout of the armour layer, slopes and types of units. In the wave
417 overflow of the rubble mound breakwater, little damage was noticed on the seaside slope of the rubble
418 mound breakwaters tested (Aniel-Quiroga et al., 2018), consistent with the little damage observed at
419 the end of the quasi-steady overflow stage in this study.

420 4.3. Implications for design purposes and future research

421 The $S-F_b$ and R_d-F_b graphs provide useful guidance to assess the potential damage to the armour layer
422 of a similar composite breakwater given the tsunami depth, the breakwater height, the size and the
423 density of armour units. In addition, if a minimum damage level under a certain tsunami depth is
424 required, F_b should be greater than a certain value.

425 Many more factors may also affect the stability of composite breakwaters, e.g., seaward slopes,
426 leeward erosion, types and sizes of armour units, which requires further research. To strengthen the
427 stability of a similar composite breakwater tested in this study, many measures can be taken, e.g.,
428 clamping the crown concrete blocks, using larger armour units.

429 Esteban et al. (2014) pointed out the importance of including overtopping depths to predict failure of
430 a breakwater. This is significant due to the lack of accurate measurements of the tsunami flow depth
431 on land, as well as at the shoreline or in front of a breakwater. The maximum flow depth of tsunamis

432 is usually estimated by water, mud or debris marks on structures and damage to structures (Nandasena
433 et al., 2012). The transition of the supercritical incoming flow near the shoreline to a subcritical flow
434 when the flow propagates further inland or when confronting a barrier would be accompanied by an
435 increase in the water depth, as this study implies. Future research can be conducted to relate the
436 maximum flow depth to the damage of the breakwater.

437

438 **5. Conclusions**

439 A scale model of a composite breakwater in New Zealand was reproduced in the dam-break tsunami
440 channel at the University of Auckland. A range of bore depths and breakwater heights were
441 investigated to understand the tsunami bore-breakwater interaction and determine the stability of the
442 breakwater.

443 Four stages were observed when the tsunami bore impacted the breakwater: initial impact, splash up,
444 overtopping and quasi-steady overflow. Damage to the breakwater was initiated by movement of the
445 concrete armour units, then displacement and washing away of the under layer (limestone rocks),
446 washing away of the crown concrete blocks, and subsequent displacement of the precast concrete
447 blocks. The damage parameter S and the damage ratio R_d increase with bore depths and N_s . The higher
448 breakwaters experience delayed initiation of the same damage levels (S and R_d). Plotting S and R_d
449 against the newly proposed parameter F_b is a good method for assessing the damage of the armour
450 layer under tsunami flow. Little damage of armour layer was observed when $F_b > 1$ while destruction
451 occurred when F_b approached 0.5.

452

453

454 **Data Availability Statement**

455 All data, models, and code generated or used during the study appear in the submitted article.

456

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462

463 **Notation**

464 The following symbols are used in this paper:

465 a, b, c = lengths of longitudinal, lateral, and height axes of concrete blocks (m);

466 A = surface area of the armour layer (m²);

467 A_e = average eroded area (m²);

468 d = thickness of the armour layer (m);

469 D_{n50} = cube-equivalent side length of the unit (m);

470 F_b = ratio of the stabilising strength of the armour units to the bore depth;

471 F_n = ratio of the breakwater height over the bore depth (relative breakwater height);

472 Fr = Froude number;

473 g = acceleration of gravity (m/s²);

474 GO = gate opening height (m);

475 H = reservoir water depth (m);

476 h_b = breakwater height (m);

477 h_0 = maximum bore depth (m);

478 L = width of the studied section (m);

479 m = number of armour units;

480 n = armour layer bulk porosity;

481 N = number of waves;

482 $N_{displaced}$ = number of displaced stones/units;

483 N_{total} = total number of stones/units;

484 N_e = number of extracted stones;

485 N_s = stability number;

486 R_d = damage ratio;

487 RWL = reservoir water level (m);

488 S = damage parameter;

489 T = tsunami wave period (s);

490 u = flow velocity (m/s);

491 U = bore tip velocity (m/s);

492 V = volume of a single armour unit (m³)

493 W_{50} = median stone weight (kg);

494 λ_w = weight scale;

495 $\lambda_L =$ length scale;
496 $\lambda_T =$ time scale;
497 $(\gamma_r)_m =$ unit weight of stones in model (kg/m³);
498 $(\gamma_r)_p =$ unit weight of stones in prototype (kg/m³);
499 $(\gamma_w)_m =$ unit weight of water in model (kg/m³);
500 $(\gamma_w)_p =$ unit weight of water in prototype (kg/m³);
501 $\rho_s =$ density of the breakwater units (kg/m³);
502 $\rho_w =$ density of water (kg/m³);
503 $\Delta =$ relative mass density.
504

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